

# Online Saturated Cost Partitioning for Classical Planning

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Jendrik Seipp

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University of Basel



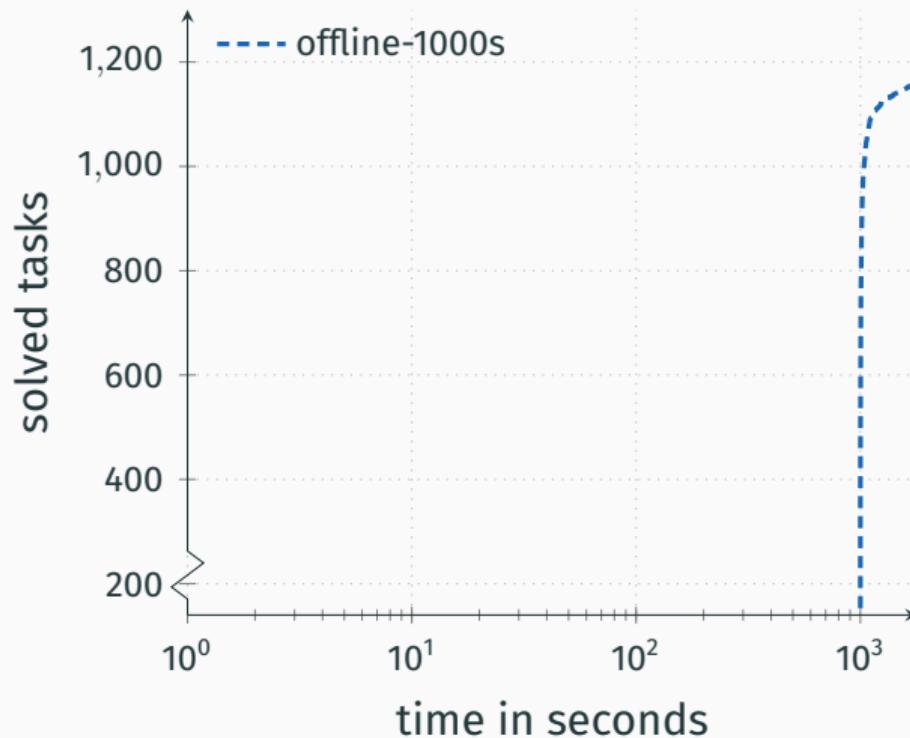
## Setting

- optimal classical planning
- A\* search + admissible heuristic
- multiple abstraction heuristics
- cost partitioning

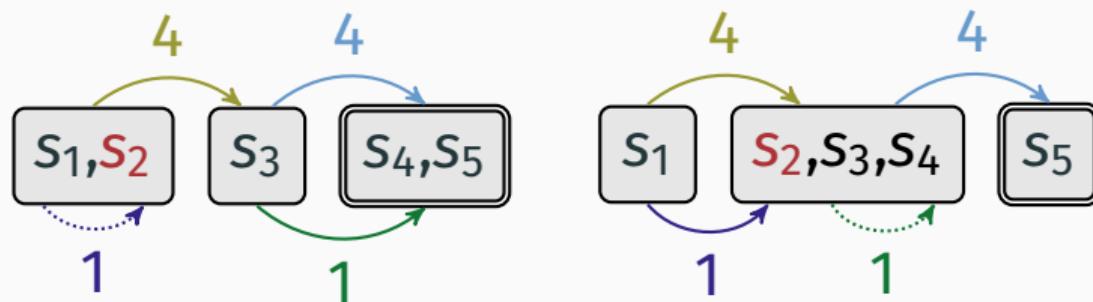
## Setting

- optimal classical planning
- A\* search + admissible heuristic
- multiple abstraction heuristics
- **saturated** cost partitioning

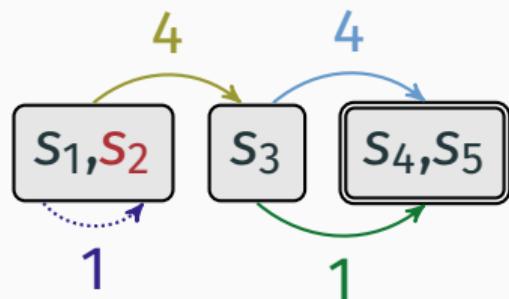
## Coverage over time



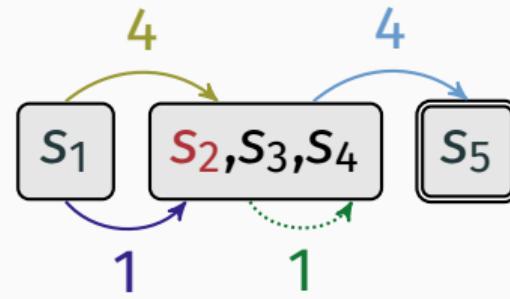
## Background



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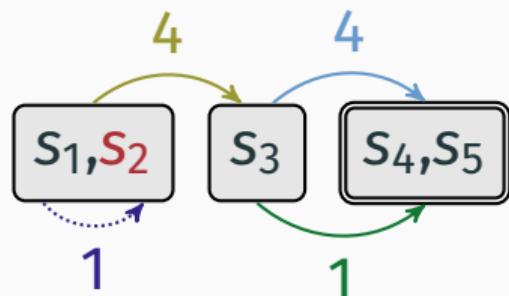


$$h_1(s_2) = 5$$

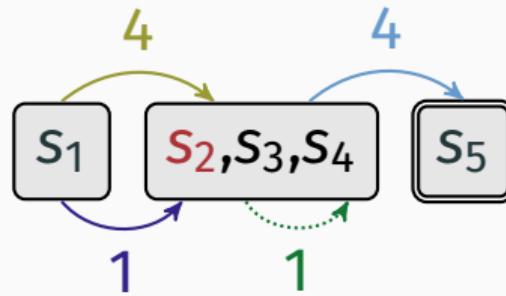


$$h_2(s_2) = 4$$

## Background



$$h_1(s_2) = 5$$

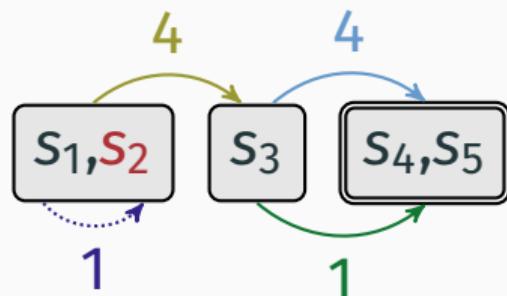


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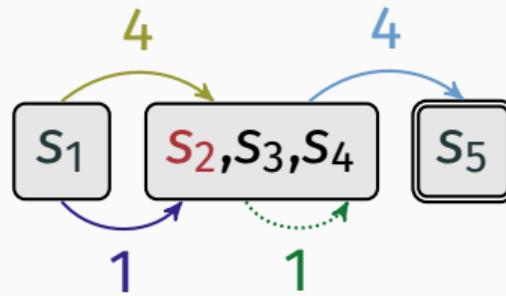
maximize over estimates:

- $h(s_2) = 5$

## Background



$$h_1(s_2) = 5$$



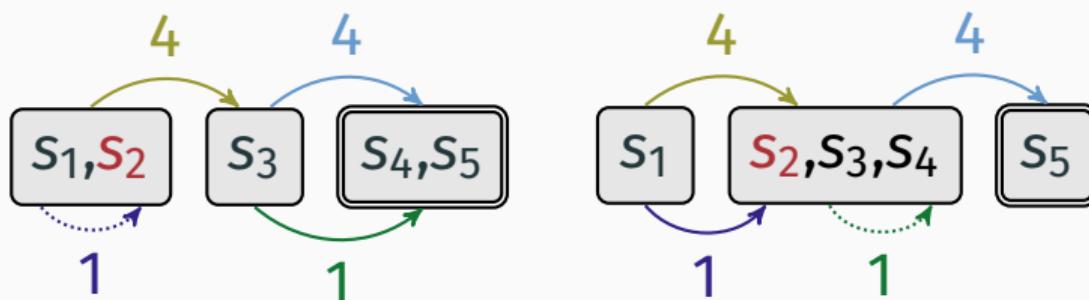
$$h_2(s_2) = 4$$

maximize over estimates:

- $h(s_2) = 5$
- only **selects** best heuristic
- does not **combine** heuristics

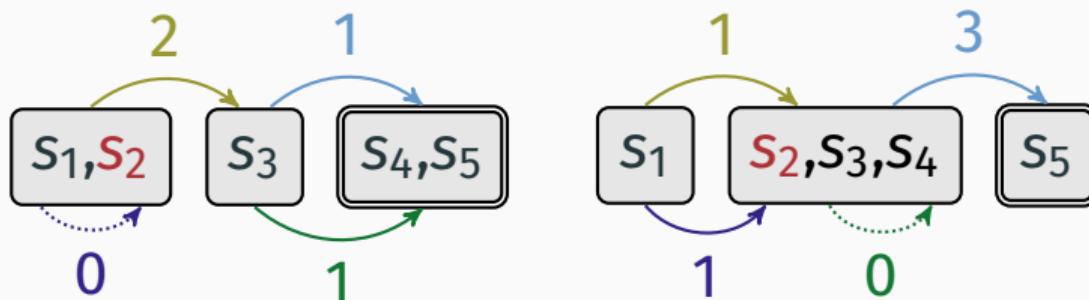
## Cost partitioning

- split action costs among heuristics
- sum of costs  $\leq$  original cost



## Cost partitioning

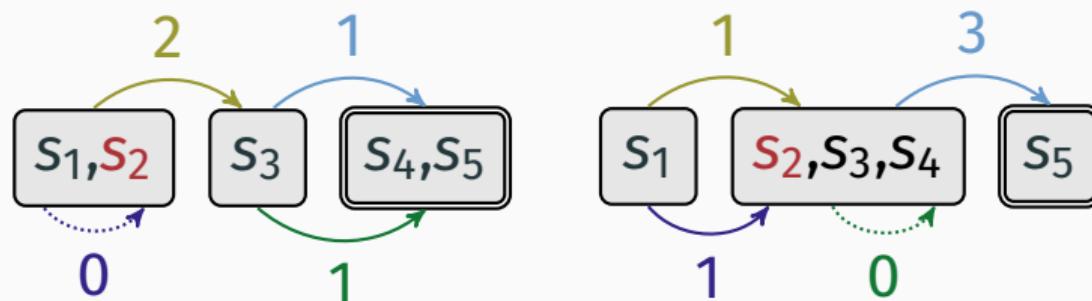
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# Background

## Cost partitioning

- split action costs among heuristics
- sum of costs  $\leq$  original cost

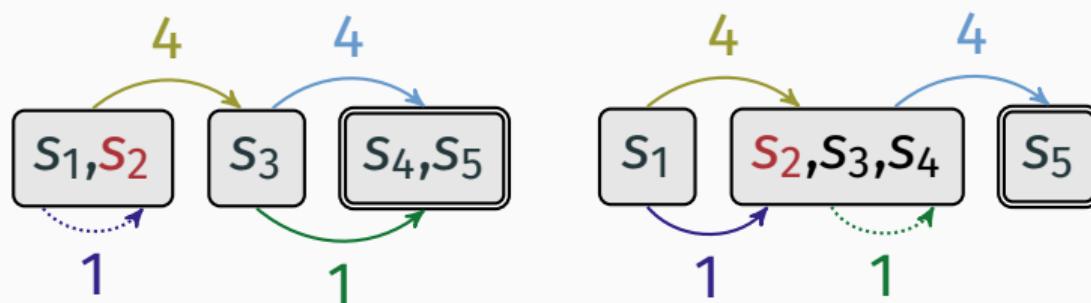


$$h(s_2) = 3 + 3 = 6$$

# Background

## Saturated cost partitioning

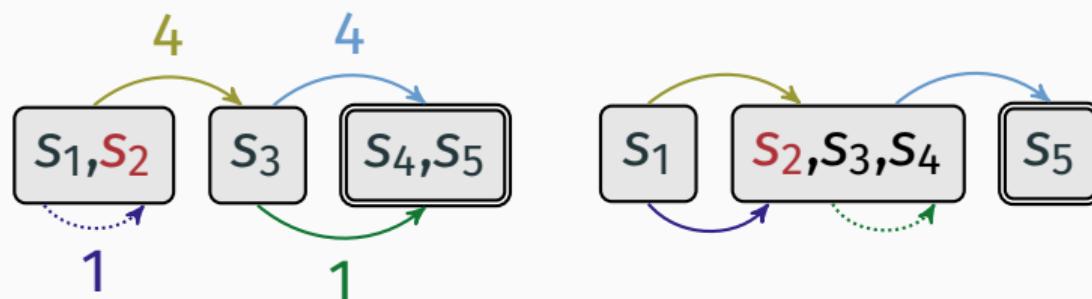
- order heuristics, then for each heuristic  $h$ :
  - use **minimum costs** preserving all estimates of  $h$
  - use **remaining costs** for subsequent heuristics



# Background

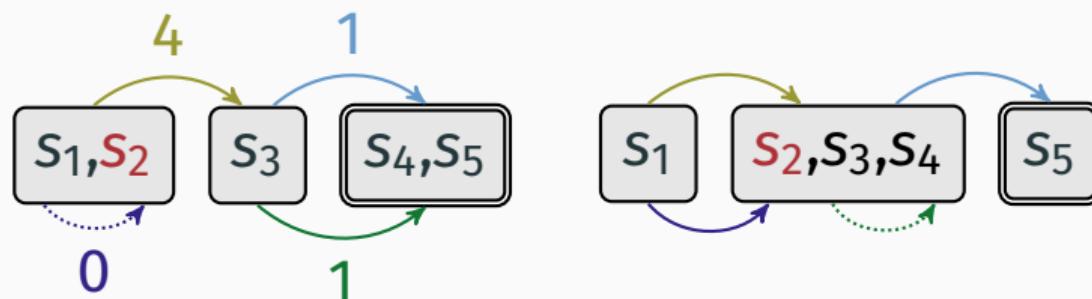
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## Saturated cost partitioning

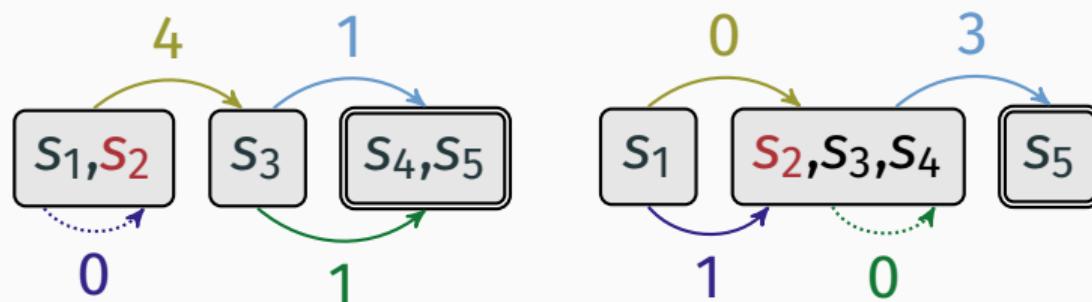
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# Background

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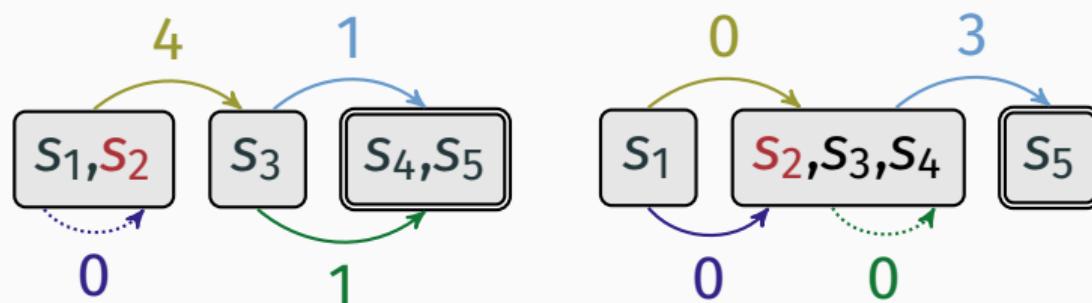
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# Background

## Saturated cost partitioning

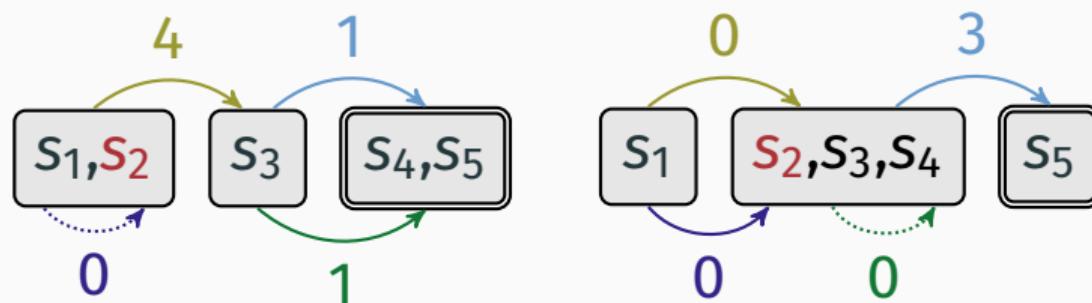
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## Saturated cost partitioning

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  - use **minimum costs** preserving all estimates of  $h$
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$$h^{\text{SCP}}(s_2) = 5 + 3 = 8$$

## Background

Order matters:

- $h_{\langle h_1, h_2 \rangle}^{\text{SCP}}(s_2) = 8$
- $h_{\langle h_2, h_1 \rangle}^{\text{SCP}}(s_2) = 7$

## Background

Order matters:

- $h_{\langle h_1, h_2 \rangle}^{\text{SCP}}(s_2) = 8$
- $h_{\langle h_2, h_1 \rangle}^{\text{SCP}}(s_2) = 7$

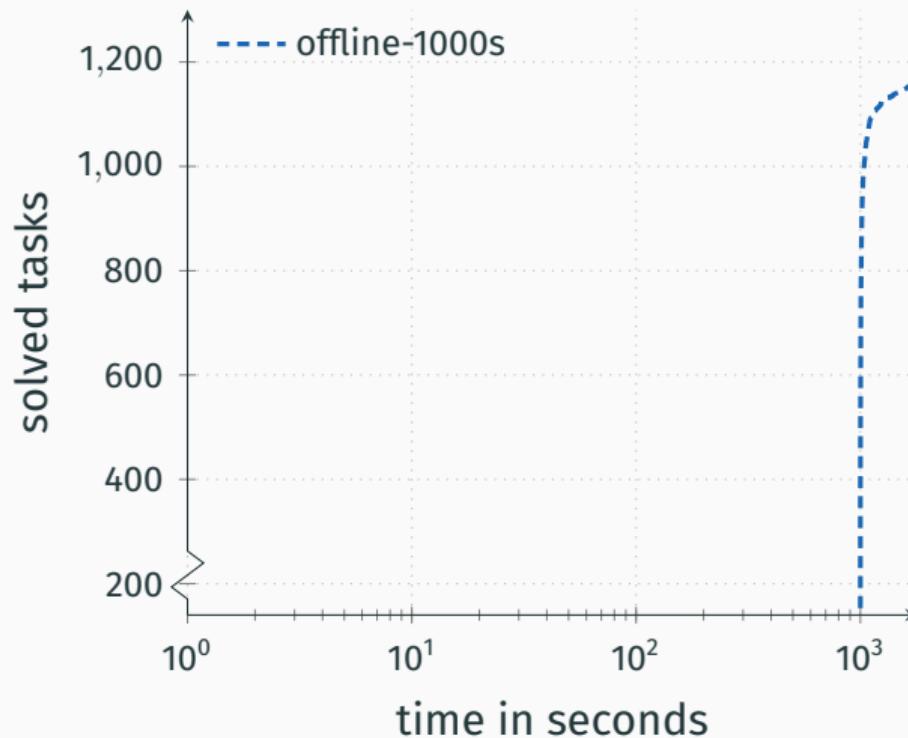
→ use multiple orders and maximize over estimates:

$$\max(h_{\langle h_1, h_2 \rangle}^{\text{SCP}}(s_2), h_{\langle h_2, h_1 \rangle}^{\text{SCP}}(s_2))$$

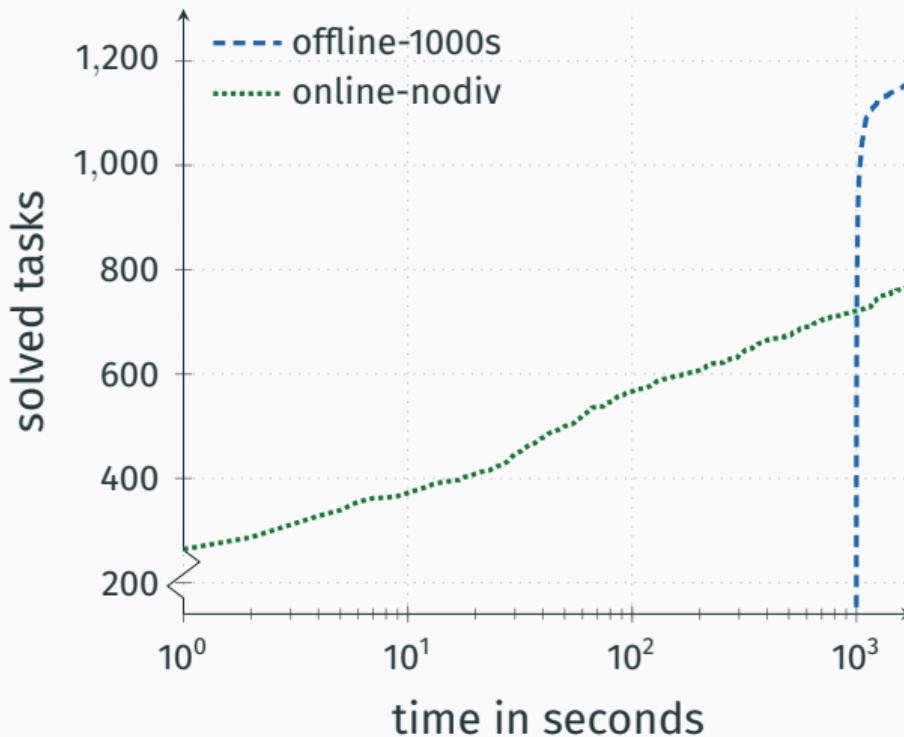
## Offline diversification

- sample 1000 states
- start with empty set of orders
- until time limit is reached:
  - compute order for new sample
  - store order if a sample profits from it

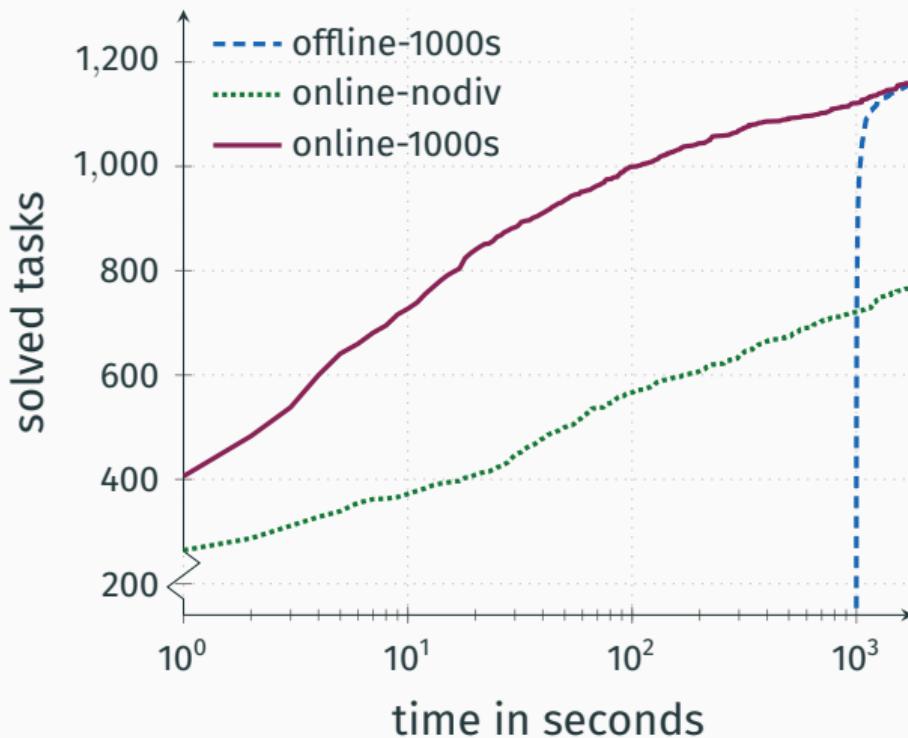
## Coverage over time



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## Coverage over time



## COMPUTEHEURISTIC(s)

- if `SELECT(s)` and not time limit reached
  - compute order for  $s$
  - store order if  $s$  profits from it
- return maximum over all stored orders for  $s$

# Offline vs. online diversification

## Offline

- compute orders for **samples** for  $T$  seconds
- store order if one of **1000 samples** profits from it

## Online

- compute orders for subset of evaluated **states** for **at most  $T$  seconds**
- store order if **single** evaluated **state** profits from it

# Selection strategies

## SELECT

- Interval
- Novelty (Lipovetzky and Geffner 2012)
- Bellman (Eifler and Fickert 2018):  $h(s) \geq \min_{\substack{a \\ s \rightarrow t \in T}} (h(t) + cost(a))$

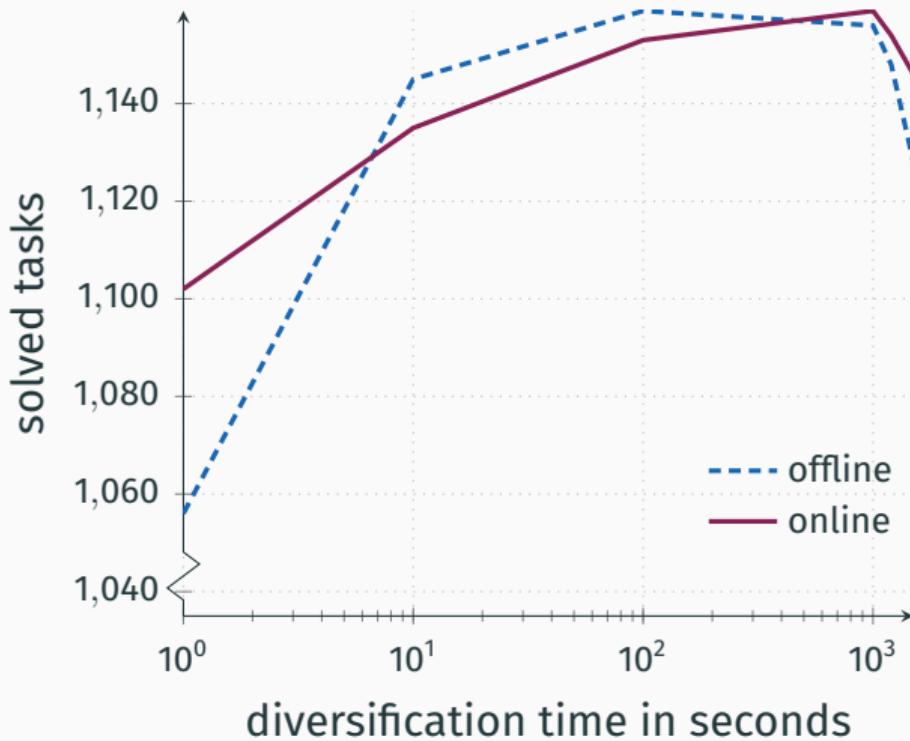
# Selection strategies

## SELECT

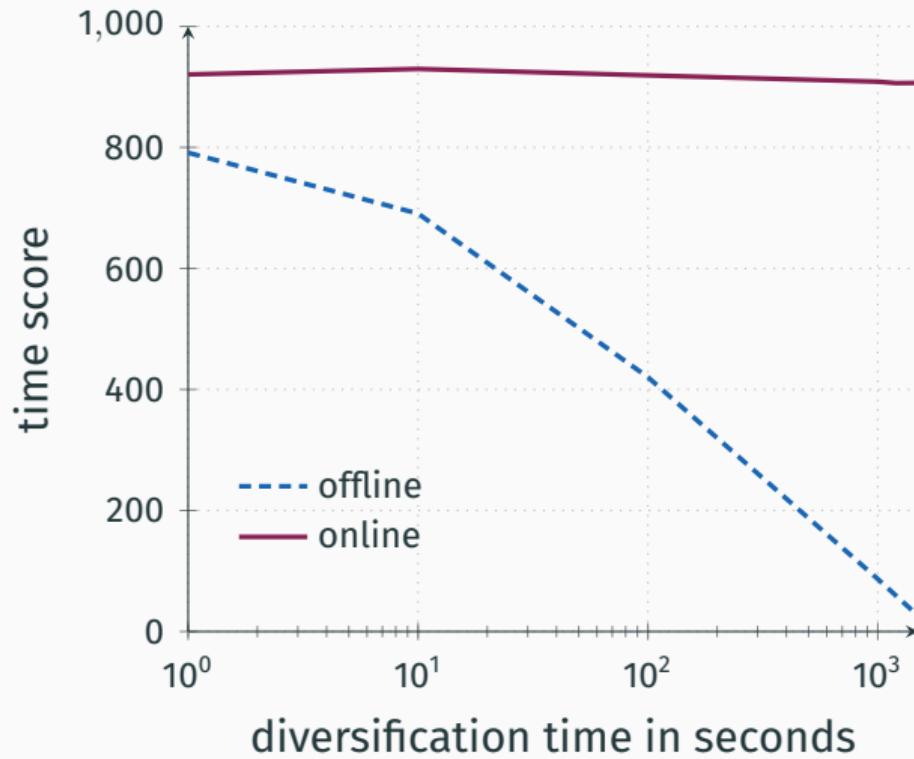
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	Bellman	Novelty 1	Novelty 2	Interval 1–100K
Coverage	1145	1153	1157	1153– <b>1159</b>

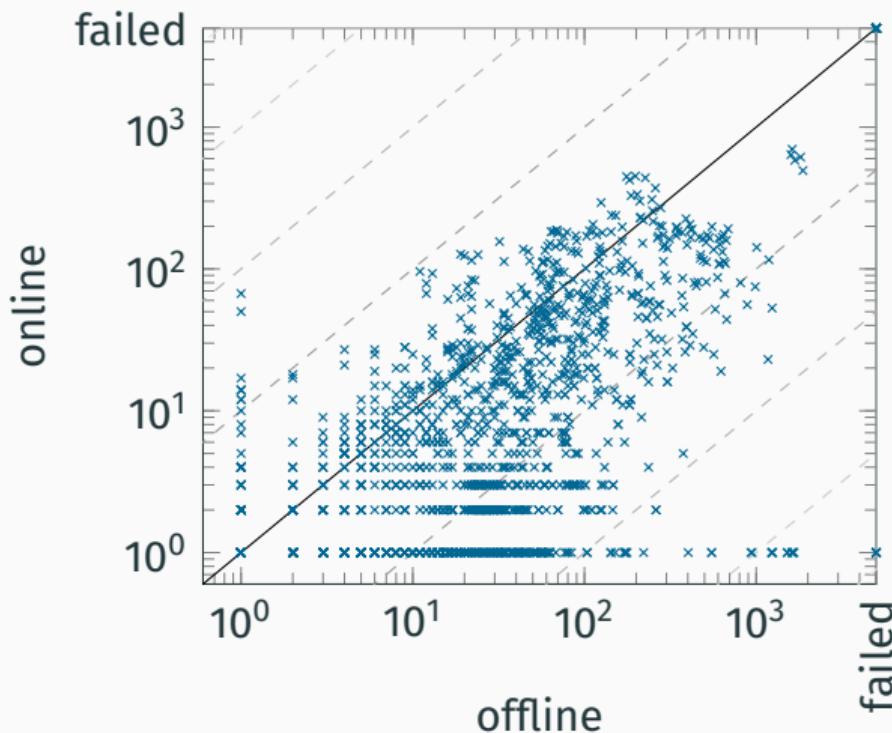
## Coverage



## Time score



## Stored orders



Before the A\* search can start

### Build abstractions

- e.g., Cartesian abstractions and symbolic PDBs

### Compute orders and cost partitionings

- e.g., saturated cost partitioning

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- online refinement (e.g., Eifler and Fickert 2018, Franco and Torralba 2019)

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- Bellman, novelty, interval

Before the A\* search can start

### Choose which abstractions to build

- e.g., patterns for PDBs

### Build abstractions

- e.g., Cartesian abstractions and symbolic PDBs
- online refinement (e.g., Eifler and Fickert 2018, Franco and Torralba 2019)

### Compute orders and cost partitionings

- e.g., saturated cost partitioning
- Bellman, novelty, interval

## Before the A\* search can start

### Choose which abstractions to build

- e.g., patterns for PDBs
- future work

### Build abstractions

- e.g., Cartesian abstractions and symbolic PDBs
- online refinement (e.g., Eifler and Fickert 2018, Franco and Torralba 2019)

### Compute orders and cost partitionings

- e.g., saturated cost partitioning
- Bellman, novelty, interval

## Summary

Offline diversification	Online computation	Online diversification
long precomputation samples	no precomputation states	no precomputation states
fast evaluations	slow evaluations	fast evaluations
high coverage	low coverage	high coverage

## Offline vs. online diversification

		1s	10s	100s	1000s	1200s	1500s
Coverage	offline	1056	1145	<b>1159</b>	1156	1148	1128
	online	1102	1135	1153	<b>1159</b>	1154	1146

## Offline vs. online diversification

		1s	10s	100s	1000s	1200s	1500s
Coverage	offline	1056	1145	<b>1159</b>	1156	1148	1128
	online	1102	1135	1153	<b>1159</b>	1154	1146
Time Score	offline	<b>791.2</b>	690.7	420.3	86.8	59.2	25.9
	online	920.6	<b>929.7</b>	919.1	908.7	906.3	906.6