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Research Article

## Study on Hybrid Position/Force Teaching and Control Method for 6 DoF Manipulator Utilizing f-PAWTED

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### **ABSTRACT**

In this study, a parallel wire-type teaching device with a force sensor and a hybrid position/force teaching and control method are developed to facilely teach robot manipulators using human hands instead of teaching pendants. A direct teaching method based on a hybrid position/force control is proposed to teach robots the desired position and force trajectories. The effectiveness of the developed device and method in teaching the robot manipulator is confirmed experimentally.

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### 1. INTRODUCTION

Robot teaching technology is essential for adequately exploiting robots. A teaching pendant has been widely utilized in the manufacturing industry for this purpose. Several teaching methods have been proposed by extant studies [1,2]. A direct teaching method using impedance control was proposed to teach robots the desired trajectories while directly moving an end effector [3]. However, this method consumes a significant amount of time, and the response of the robot during operation is poor. Hence, a Parallel Wire-type Teaching Device (PAWTED) and a direct teaching position control method were proposed [4]. An operator can handle a PAWTED to teach a Six-Degree-of-Freedom (6-DoF) robot any arbitrary three-dimensional trajectories within the working space in a short period. Subsequently, the robot can reproduce the teaching position trajectories precisely [5]. Nonetheless, the developed PAWTED cannot teach and playback both the desired position and force trajectories simultaneously.

In this study, a PAWTED with a Force Sensor (f-PAWTED) and a hybrid position/force teaching and control method were developed to overcome these problems. The effectiveness of the f-PAWTED and the proposed control method is verified experimentally.

### 2. PARALLEL WIRE-TYPE TEACHING DEVICE WITH A FORCE SENSOR

### 2.1. f-PAWTED Mechanism

The PAWTED comprises a moving platform, six wires, and a base. Meanwhile, the f-PAWTED comprises the PAWTED and a force

sensor, as shown in Figure 1. The force sensor is fixed on the top face of the moving platform. The base comprises three holders, six rotary encoders, and six flat spiral springs fastened to the end of the robot arm. The moving platform is connected to the base by a system of six wires. Therefore, an operator can move the moving platform freely in a three-dimensional space. Figure 2 shows the teaching and playback operation using the f-PAWTED. In the teaching mode, the f-PAWTED measures the drawn length of the wires, whereas the operator moves the moving platform. It computes the position and orientation of the teaching tool based on the drawn lengths. In addition, the force for teaching data exerted by the end of the robot arm is measured by the force sensor. All teaching data are transformed to the robot's reference frame  $\Sigma_0$  and saved in a computer. During the teaching mode, the robot is controlled to track and maintain the moving platform at a constant distance. In the playback mode, the moving platform is fastened to the holders and the robot reproduces the teaching trajectories.

### 2.2. Theoretical Transformation

### 2.2.1. Teaching mode

As shown in Figure 2,  $\Sigma_H$  and  $\Sigma_R$  are the coordinate frames attached to the moving platform and the end of the robot arm, respectively. The teaching position/orientation vector of the teaching tool with respect to frame  $\Sigma_0$  is denoted by  ${}^0r_t$   $R^6$ .

$${}^{\mathbf{0}}\mathbf{r}_{t} = [({}^{\mathbf{0}}\mathbf{p}_{t})^{T}, ({}^{\mathbf{0}}\boldsymbol{\eta}_{t})^{T}]^{T}, \tag{1}$$

where  ${}^{0}\boldsymbol{p}_{t}$  and  ${}^{0}\boldsymbol{\eta}_{t}$  are the present position and orientation vectors with respect to frame  $\Sigma_{0}$ , respectively. They are obtained from

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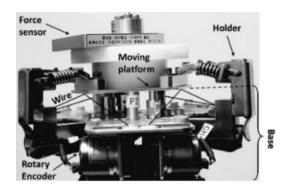
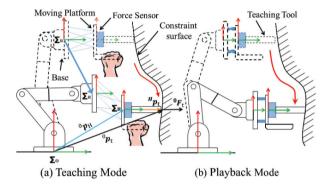


Figure 1 | f-PAWTED.



**Figure 2** | Operation using f-PAWTED. (a) Teaching mode. (b) Playback mode.

$$\begin{split} [({}^{\mathbf{0}}\boldsymbol{p}_{t})^{T},1]^{T} &= {}^{\mathbf{0}}\boldsymbol{T}_{H}[({}^{H}\boldsymbol{p}_{t})^{T},1]^{T}, \quad {}^{\mathbf{0}}\boldsymbol{\eta}_{t} = {}^{\mathbf{0}}\boldsymbol{R}_{H}{}^{H}\boldsymbol{\eta}_{t}, \\ {}^{H}\boldsymbol{p}_{t} &= [0,0,l_{h}]^{T}, \qquad {}^{H}\boldsymbol{\eta}_{t} = [\boldsymbol{\phi},\boldsymbol{\theta},\boldsymbol{\psi}]^{T}, \end{split}$$

where  ${}^{i}T_{k}$  and  ${}^{i}R_{k}$  denote the homogeneous transform matrix and the rotation matrix from frame  $\Sigma_{k}$  to  $\Sigma_{l}$ , respectively,  $l_{k}$  is a known parameter, and  $[\phi, \theta, \psi]$  are roll, pitch, and yaw angles, respectively.

Similar to vector  ${}^{0}\mathbf{r}_{p}$  the teaching force/torque vector  ${}^{0}\mathbf{F}_{t}$  with respect to frame  $\Sigma_{0}$  is expressed as

$${}^{\mathbf{0}}\boldsymbol{F}_{t} = [({}^{\mathbf{0}}\boldsymbol{f}_{t})^{T}, ({}^{\mathbf{0}}\boldsymbol{\tau}_{t})^{T}]^{T}, \tag{2}$$

where  ${}^{0}f_{t}$  and  ${}^{0}\tau_{t}$ . are the present force and torque vectors of the teaching tool with respect to frame  $\Sigma_{0}$ , respectively. They are expressed as follows:

$${}^{0}f_{t} = {}^{0}R_{H}{}^{H}f_{t}, {}^{0}\tau_{t} = {}^{0}p_{H} \times {}^{0}f_{t} + {}^{0}R_{H}{}^{H}\tau_{t},$$

in which  ${}^0p_H$  denotes the position vector of the origin of frame  $\Sigma_H$  with respect to frame  $\Sigma_0$ .  ${}^Hf_t$  and  ${}^H au_t$  are the present force and torque vectors of the teaching tool expressed in frame  $\Sigma_H$ , respectively. They are calculated from the values measured by the force sensor.

### 2.2.2. Playback mode

In the playback mode, the moving platform is fastened to the base; therefore,  $\Sigma_R = \Sigma_H$  and  ${}^RT_H = I, {}^0T_H = {}^0T_R$ . The position and force data are saved as follows:

$${}^{\mathbf{0}}\mathbf{r}_{p} = [({}^{\mathbf{0}}\mathbf{p}_{p})^{T}, ({}^{\mathbf{0}}\mathbf{\eta}_{p})^{T}]^{T}, {}^{\mathbf{0}}\mathbf{F}_{p} = [({}^{\mathbf{0}}\mathbf{f}_{p})^{T}, ({}^{\mathbf{0}}\mathbf{\tau}_{p})^{T}]^{T}$$
(3)

### 3. HYBRID POSITION/FORCE TEACHING CONTROL METHOD

A hybrid control method is proposed based on the principle that there are some directions in which position is controlled and other directions in which force is controlled. Upon a specific task, these directions change, but a single direction is never used to control both the position and force [6]. Our task is to teach the teaching tool position and force trajectories on a spherical surface using the robot attached to the f-PAWTED. The operator pushes the teaching tool with a force against the working surface while moving the teaching tool. Subsequently, the robot reproduces the teaching trajectories comprising the position and force. We assigned a moving constraint frame  $\Sigma_c$  on the working surface, as shown in Figure 3. The origin  $O_c$  coincides with the present point  $A_t$ . The  $Z_c$  axis shows that the force-control direction is normal to the working surface. The  $Y_C$  axis is along the teaching trajectory on the working surface. The  $X_C$  axis is assigned to be normal to  $Z_C$  and  $Y_C$ , making  $\Sigma_{C}$  a right-hand coordinate system. The  $X_{C}$  and  $Y_{C}$  axes show position-control directions. The position of the teaching point  $A_{\iota}$ expressed in the working frame  $\Sigma_W (O_W - r\alpha\beta)$  comprises three parameters,  $(r, \alpha_{k}, \beta_{k})$ , as shown in Figure 3 where r is the sphere

radius,  $\alpha_k$  denotes the angle between  $Y_w$  and vector  $\overrightarrow{O_w A_{kx}}$ , and  $\beta_k$  denotes the angle between  $Z_w$  and vector  $\overrightarrow{O_w A_k}$ . The teaching and playback data are transformed to frame  $\Sigma_c$  as follows:

$$[({}^{\boldsymbol{C}}\boldsymbol{p}_{t})^{T},1]^{T} = {}^{\boldsymbol{C}}\boldsymbol{T}_{0}[({}^{\boldsymbol{0}}\boldsymbol{p}_{t})^{T},1]^{T},{}^{\boldsymbol{C}}\boldsymbol{n}_{t} = {}^{\boldsymbol{C}}\boldsymbol{R}_{0}{}^{\boldsymbol{C}}\boldsymbol{\eta}_{t}, \tag{4}$$

$${}^{C}f_{t} = \mathbf{I}_{1}{}^{C}R_{0}{}^{0}f_{t}, \quad {}^{C}f_{p} = \mathbf{I}_{1}{}^{C}R_{0}{}^{0}f_{p}$$
 (5)

where  $I_1 = diag[0, 0, 1]$ .

Subsequently, the compensating control law of the force response in  $Z_{\rm C}$ -axis direction is expressed as

$${}^{c} \boldsymbol{p}_{p}(n) = {}^{c} \boldsymbol{p}_{t}(n) + \boldsymbol{K}_{p}[{}^{c} \boldsymbol{f}_{t}(n-1) - {}^{c} \boldsymbol{f}_{p}(n-1)] + \boldsymbol{K}_{D} \left[ {}^{c} \boldsymbol{f}_{t}(n-1) - {}^{c} \boldsymbol{f}_{p}(n-1) \atop dT \right],$$
(6)

where  $K_p$  and  $K_D$  are the feedback gain matrices, and dT is the sampling time.

### 4. EXPERIMENTS

In this study, experiments were conducted to investigate the effectiveness of the proposed method on a 6-DoF robot manipulator (DENSO WAVE, VS-060) equipped with the f-PAWTED. Specifically, the task of writing an arbitrary curve on a spherical surface was performed. For this purpose, we created a drawing tool comprising a force sensor, pen holder, and pen as the teaching tool. The pen holder and force sensor were fastened to the moving platform. The pen was attached to the head of the force sensor and placed inside the pen holder without contact. The force sensor can measure the three orthogonal components of the force and the

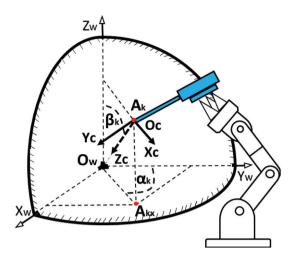


Figure 3 | Moving constraint frame on spherical surface.



Figure 4 | Playback motion of a robot equipped with f-PAWTED.

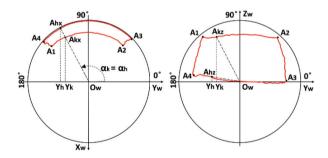


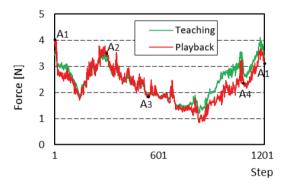
Figure 5 | Teaching trajectory on spherical surface.

three components of the moment exerted on the pen. In the teaching mode, an operator grasps the pen holder and draws a curve on the dodge ball with a radius of 85.5 mm while pushing the pen against the surface of the ball. Subsequently, in the playback mode, the robot reproduces the teaching curve, as shown in Figure 4.

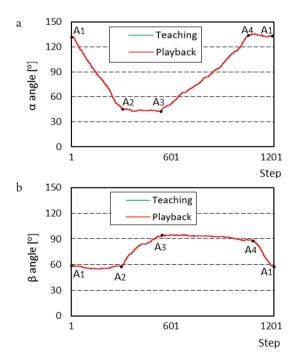
In the teaching mode, the operator manipulated the pen holder to teach the robot a closed curve starting from point  $A_1$  toward points  $A_2$ ,  $A_3$ , and  $A_4$ , and then returned to  $A_1$ , as shown by the red curve in Figure 5. The controller saves the teaching data during movement, including both the position and force data of the teaching tool. In the playback mode, the data of the playback force exerted by the end of the robot arm on the dodge ball are transformed to frame  $\Sigma_{\rm C}$ . Based on the teaching and playback data of the force, an adjustment was performed according to Equation (6).

The experimental results of the force are shown in Figure 6. The horizontal axis denotes the step number of the control sequence of the robot-dedicated controller. The sampling time was 0.05–0.10 s, which depends on the movement distance of each step. The green and red lines denote the force response in the  $Z_c$ -axis direction in the teaching and playback modes, respectively. The first  $A_1$  in Figure 6 represents the starting point. The next points  $A_2$ ,  $A_3$ ,  $A_4$ , and  $A_1$  show the steps when the teaching tool reaches  $A_2$ ,  $A_3$ ,  $A_4$ , and  $A_1$ , respectively. The red line follows the green line relatively well with a mean error of 0.249 N.

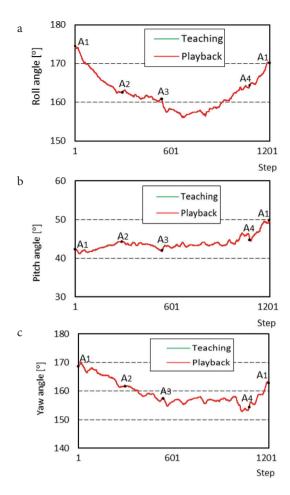
The position teaching trajectories with respect to frame  $\Sigma_W$  are illustrated in Figure 7. In Figure 7, graphs (a) and (b) denote angles  $\alpha$  and  $\beta$ , respectively. When the pen moved from  $A_2$  toward  $A_3$  and from  $A_4$  toward  $A_1$ , angle  $\alpha$  remained steady at approximately 45° and 135°, respectively. In addition, angle  $\beta$  remained stable at approximately 60° and 90° when the pen moved from  $A_1$  toward  $A_2$  and from  $A_3$  toward  $A_4$ , respectively. As shown in Figure 7, the robot tracked the desired position trajectory closely. The mean



**Figure 6** | Force response in  $Z_{c}$ -axis direction during teaching and playback modes.



**Figure 7** Position trajectories of teaching tool during teaching and playback modes. (a) Angle  $\alpha$ ; (b) angle  $\beta$ .



**Figure 8** Orientation trajectories of teaching tool during teaching and playback modes. (a) Roll angle; (b) pitch angle; (c) yaw angle.

errors between the teaching and playback modes of the angles  $\alpha$  and  $\beta$ were 0.138° and 0.122°, respectively.

Figure 8 shows the trajectories of roll, pitch, and yaw angles of orientation of the teaching tool expressed in robot's reference frame

 $\Sigma_0$  in both the teaching and playback modes. The playback orientation trajectories closely pursued the teaching ones. The mean errors between the two modes of the roll, pitch and yaw angles were 0.031°, 0.044° and 0.038°, respectively.

### 5. CONCLUSION

An approach for teaching and directly controlling both the position and force of robot manipulators using a f-PAWTED and a hybrid position/force control method were presented. The proposed method was validated by writing a closed curve on a spherical surface. Hence, this demonstrates the prospect and applicability of the hybrid position/force teaching and control method in industrial processing.

### **CONFLICTS OF INTEREST**

The authors declare they have no conflicts of interest.

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