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IDENTIFICATION OF MYOCARDIAL INFARCTION USING THREE-DIMENSIONAL STRAIN TENSOR FRACTIONAL ANISOTROPY

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Abstract

Accurate localization of myocardial viability is important in diagnosis of infarction. Regional strain function provides excessive information for clinical decision making but comparison of strain tensor profiles across differing tissue types is usually difficult due to multivariate nature of tensors. It is desirable to describe tensors with simplified scalar indices which are more mathematically and statistically intuitive. In this work, anisotropy of tensors in healthy and experimental infarct regions in a large animal model is assessed and compared to directional components of strain tensors which are currently the most popular indices in active use. Myocardial strain tensors are computed using zHARP, a magnetic resonance (MR) tagging technique that provides quantification of cardiac function with direct computation of three-dimensional tensors from two-dimensional short axis MR images. Fractional anisotropy of strain tensors shows high correlation with late gadolinium enhanced images and is capable of discrimination between healthy and infarcted regions.

Index Terms

Strain tensor; HARP; zHARP; Fractional Anisotropy; Infarction

1. INTRODUCTION

Characterization of myocardial structure and function is a crucial issue in clinical diagnosis of cardiac disease. Many techniques such as HARP [1], DENSE [2], SENC [3] has been proposed to quantify cardiac motion and strain. Although three-dimensional (3D) strain tensor quantification is readily accomplished, providing extensive amount of information, the adoption of these information into clinical practice is rare due to the difficulty in visual and quantitative interpretation of 3D tensor components. It is desirable to represent tensors with simplified scalar indices. Conventional indices are derived from strain tensors on the basis of the orientation of myocardium. The circumferential strain which corresponds to short axis compression is parallel to epicardial surface and counterclockwise, as viewed from the base. The radial strain which corresponds to elongation of tissue in short axis is perpendicular to epicardial surface. The longitudinal strain is in the long axis plane, tangent to the epicardial surface, and corresponds to compression of heart from base to apex. Figure 1 shows these directions in a local coordinate system. The normal range of strain patterns as a function of position in myocardium and of time during cardiac cycle has been previously studied [4] and provided a reference with which strains in abnormal hearts can be compared.

Tensors can also be described as ellipsoids consisting of three orthogonal vectors that each has a direction and an associated magnitude. It is hypothesized that infarcted tissue will neither compress nor elongate as much as in healthy, active muscle, and therefore has less directional strain tensors. Anisotropy, the property of being directionally dependent, can transfer the information of 3D strain tensors into a scalar measure which is more informative and easier to interpret. Different anisotropy indices have been introduced but the most popular index in use is fractional anisotropy (FA), which was first proposed in continuum mechanics [5]. In medicine, it is mainly used in diffusion tensor imaging literature [6].

FA can be calculated from any imaging method that acquires 3D displacement information. In this work we use zHARP [7] technique, an extension to SF- CSPAMM [8], which directly provides both 3D strain tensor and displacement vectors at any arbitrary material point from two-dimensional (2D) short axis MR images. Ability of FA to differentiate between normal and infarcted regions is studied and compared to other existing strain measures. Results show strong correlation with late gadolinium enhanced (LGE) images [9].

2. THEORY

2.1. zHARP 3D displacement field

zHARP pulse sequence applies an additional z-gradient of different polarities in slice select direction before regular 2D HARP tagging acquisition. Based on the fundamental fact that phase of harmonic images are material properties [1] and ability of zHARP tracking in through-plane direction [10], four complex phase images can be derived from two perpendicular tags:

$$I_{v+}(\mathbf{p}, t) = c(\mathbf{p}, t) e^{j(+\omega(x-u_x)+\kappa z)} \quad (1)$$

$$I_{v-}(\mathbf{p}, t) = c(\mathbf{p}, t) e^{j(-\omega(x-u_x)+\kappa z)} \quad (2)$$

$$I_{h+}(\mathbf{p}, t) = c(\mathbf{p}, t) e^{j(+\omega(y-u_y)-\kappa z)} \quad (3)$$

$$I_{h-}(\mathbf{p}, t) = c(\mathbf{p}, t) e^{j(-\omega(y-u_y)-\kappa z)} \quad (4)$$

Where κ is the z-encoding frequency. ω is the tagging frequency and locates spectral peaks in Fourier domain. c contains spin density and artifacts caused by susceptibility and inhomogeneity. $(\mathbf{p}(x, y, z), t) = [\mathbf{x}, \mathbf{y}, \mathbf{z}]$ is the reference map of the material point which is at position $[x, y, z]$ at time t . $[u_x, u_y]$ shows displacement between reference frame and time t :

$$u_x = x - \mathbf{x} \quad (5)$$

$$u_y = y - \mathbf{y} \quad (6)$$

Filtering four spectral peaks yields:

$$\varphi_{v+} = (+\omega(-u_x) + \kappa z) \quad (7)$$

$$\varphi_{v-} = (-\omega(-u_x) + \kappa z) \quad (8)$$

$$\varphi_{h+} = (+\omega(-u_y) - \kappa z) \quad (9)$$

$$\varphi_{h-} = (-\omega(-u_y) - \kappa z) \quad (10)$$

Considering the known location of slice at reference time frame $\mathbf{z} = z_0$, these four equations can be solved for displacement field:

$$\begin{aligned} u_x &= -(\varphi_{v+} - \varphi_{v-})/2\omega \\ u_y &= -(\varphi_{h+} - \varphi_{h-})/2\omega \\ u_z &= (\varphi_{v+} + \varphi_{v-} - \varphi_{h+} - \varphi_{h-})/4\kappa - z_0 \end{aligned} \quad (11)$$

By forming rectilinear mesh of points on a stack of equally separated images, displacement fields can be calculated for each spatial point during all cardiac phases. Deformation gradient and Eulerian strain can then be calculated at each point, yielding full strain tensor information in all myocardium.

2.2. Deformation gradient and strain tensor

Figure 2 shows the cuboid with three orthonormal vectors V_s and edges of unit length, which undergoes deformation F , and reconfigures to the new cuboid with orthonormal vectors U_s and edges of length $[\sigma_1, \sigma_2, \sigma_3]$. Singular value decomposition gives $F = U_s \Sigma_s V_s^T$ where $\Sigma_s = \text{diag}(\sigma_1, \sigma_2, \sigma_3)$. Deformation gradient describes how an undeformed vector $d\mathbf{x}$ is transformed into dx . If the coordinate system at reference and later time is given by \mathbf{x} and x accordingly,

$$dx = du + d\mathbf{x} \quad (12)$$

$$F = \frac{dx}{d\mathbf{x}} = I + \frac{du}{d\mathbf{x}} \quad (13)$$

$$F^{-1} = \frac{d\mathbf{x}}{dx} = I - \frac{du}{dx} \quad (14)$$

Where u is displacement. F enables us to estimate Eulerian finite strain tensor given by:

$$e = \frac{1}{2}(I - F^{-T}F^{-1}) = \frac{1}{2}U_s(I - \sum_s^{-2})U_s^{-T} \quad (15)$$

Eigenvectors of e are stored in columns of U_s , which correspond to principle or maximum directions of deformation. $(I - \sum_s^{-2})$ is a diagonal matrix storing eigenvalues or magnitudes of deformation in principle directions. Tensor e is rotated into local tissue coordinate system as shown in figure 1 in order to compute directional strains. Using singular values of deformation gradient, FA can be calculated.

2.3. Anisotropy of tensors

Tensors can be described as isotropic or anisotropic. Isotropic tensors have the same components in all rotated coordinate systems and can be visualized as spheres with equal eigenvalues ($\lambda_1 = \lambda_2 = \lambda_3$). In case of extreme anisotropic tensors eigenvalues are substantially different ($\lambda_1 > \lambda_2 > \lambda_3$). FA [5, 6], a number between 0 and 1, represents the degree of anisotropy, and is defined by:

$$FA = \frac{\sqrt{3}}{\sqrt{2}} \frac{\sqrt{(\lambda_1 - \lambda)^2 + (\lambda_2 - \lambda)^2 + (\lambda_3 - \lambda)^2}}{\sqrt{\lambda_1^2 + \lambda_2^2 + \lambda_3^2}} \quad (16)$$

$$\lambda = (\lambda_1 + \lambda_2 + \lambda_3)/3.$$

3. METHODS

Myocardial infarction (MI) was induced by LAD coronary artery ligation in five pigs. Gadolinium contrast was performed 10–20 days after infarction and LGE viability images were acquired. The zHARP pulse sequence was run on a commercial Philips 3.0T Achieva whole body MRI scanner (Philips Medical Systems, Best, NL), equipped with a six-channel cardiac phased array surface coil. Channels were distributed equally between the anterior and posterior sides of the chest. 8–10 short axis slices from the base to apex were acquired using VECG triggered spiral imaging with a 9 ms acquisition window, 10 spiral readouts, 256 samples, FOV = 320 mm, resolution = 1.25×1.25mm, slice thickness = 8 mm, TR = 20 ms, tag period = 7 mm, and $\kappa = 2\pi/33$ rad/mm. All the data were acquired using segmented k-space spiral acquisition.

4. RESULTS AND DISCUSSION

For each pig, mid-ventricular strain tensors were computed for all cardiac phases. Circumferential, radial, longitudinal strains, and FA was calculated for each animal. FA images were registered to the corresponding LGE images, and Harp tracking [10] was used to register the FA occurring at end systole with LGE intensities observed on the mid-diastolic geometry. Figure 3(a) and (b) shows corresponding mid-diastolic LGE and end-systolic FA. Figure 3(c) plots the intensity pairs (LGE, FA) for high-SNR healthy and infarcted regions with $r = -0.89$ as shown in figure Fig 3(a), where FA values are taken from end-systole.

Figure 4 shows mean value of strain indices within one cardiac cycle for both healthy and infarcted regions in one animal. Separation of these tissue types is evident in all data representations during systole when heart is compressed and tensors are anisotropic. Eigenvalues of e , form the principal values and correspond to two directions of maximum compression and one direction of maximum elongation in myocardium as expected. $\frac{\lambda_1}{\lambda_3}$ and $\frac{\lambda_2}{\lambda_3}$ confirms that tensors in region of infarction are substantially less anisotropic ($\lambda_1 \approx \lambda_2 \approx \lambda_3$). Tissue in this region is not elongated nor compressed in any directions and thus has a smaller FA compared to healthy region.

Marked regions of healthy and infarction are tracked in all cardiac phases for all five pigs. Table 1 lists average value of strain measures at end-systole when the heart is most compressed and corresponds to peak strain values. At this phase of cardiac cycle, contrast-to-noise-ratio (CNR) is calculated in both healthy and infarct regions and averaged over all pigs. Unpaired and unequal variance student t test is performed on strains of both tissue types in one cardiac cycle. Mean percentage of cardiac cycle with ($p < 0.05$) is reported. FA

has less variance between subjects and has a relatively higher CNR. Circumferential strain shows a high CNR compared to others but shows discrimination for less fraction of cardiac cycle. Among the principle values, third value corresponds to maximum compression and has higher CNR than other two values. It also shows discrimination in larger fraction of cardiac cycle compared to others.

5. CONCLUSION

Spatially varying strain fields are mathematically more complex and computationally more intractable than are the data that compose scalar images. In this study we characterized regional cardiac strain in in-vivo subjects using FA. This anisotropy index shows high correlation with other conventional measures, and it has large CNR. FA encompasses the 3D information into a scalar which is independent of any particular direction and eliminates the need to screen all components of strain individually. In addition, FA is correlated with tissue viability and shows potential for localization of infarction without negative effects of contrast agent.

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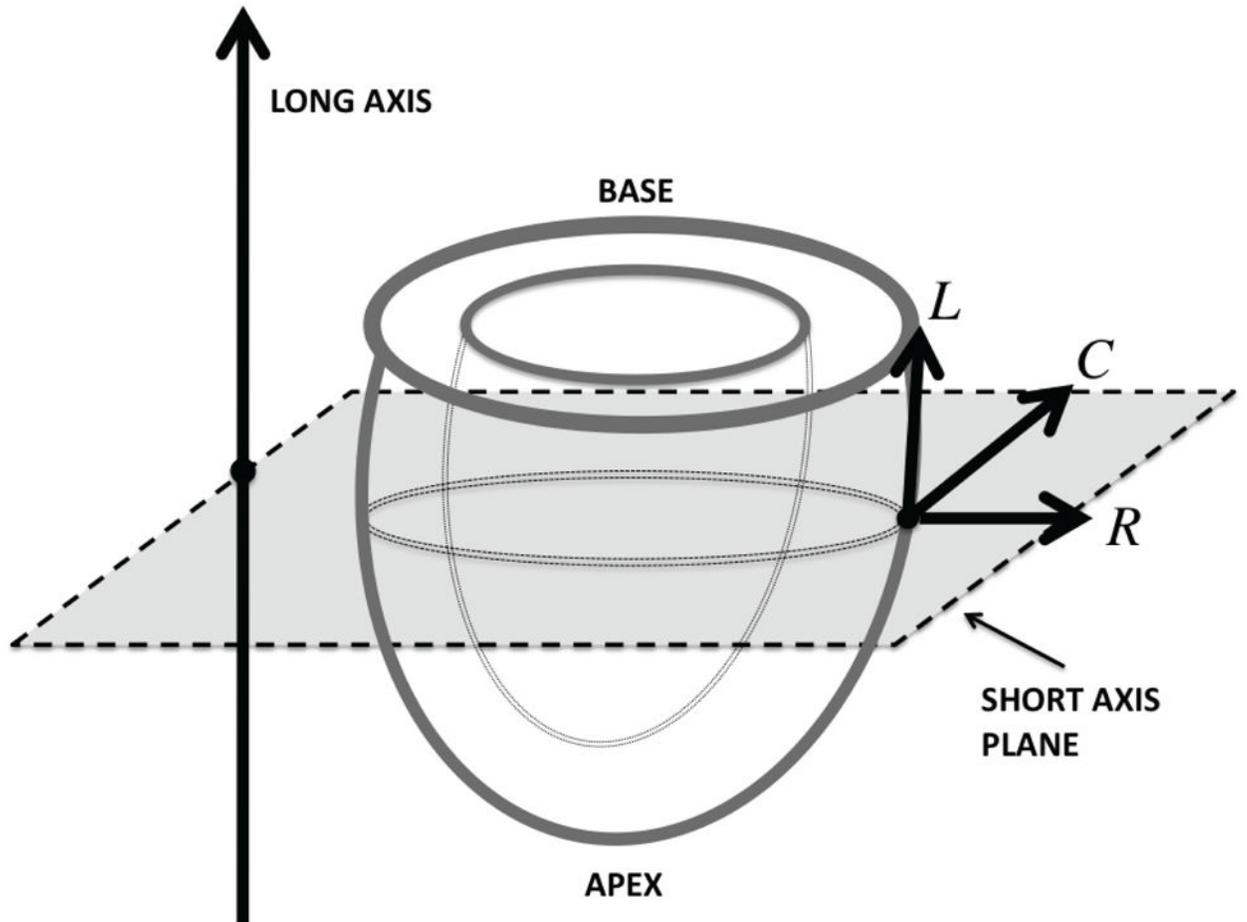


Fig. 1. Local coordinate systems. A separate cartesian system is defined for each material point, in which the axes are radial R , circumferential C , and longitudinal L .

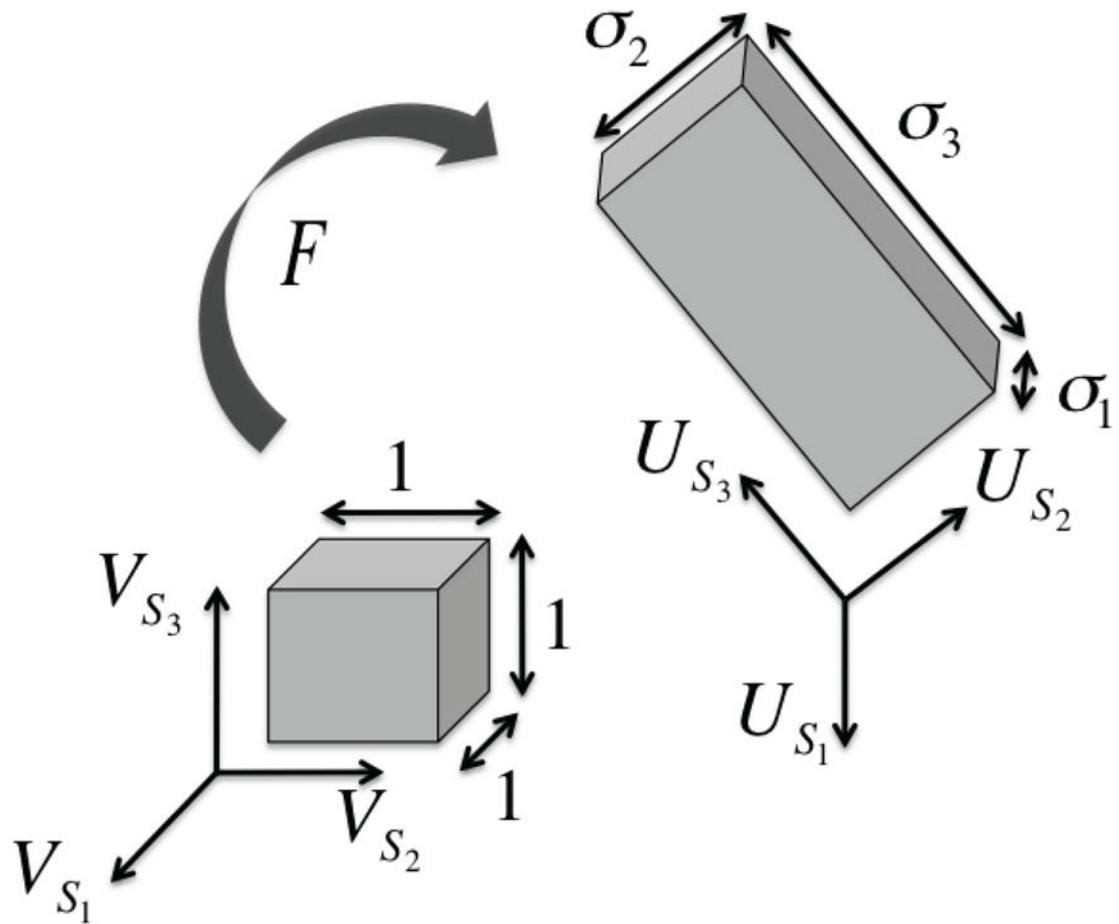


Fig. 2. Transformation of a unit cuboid in coordinate system V_s into a deformed cuboid in coordinate system U_s . U_s , V_s , and σ correspond to singular value decomposition of deformation gradient F .

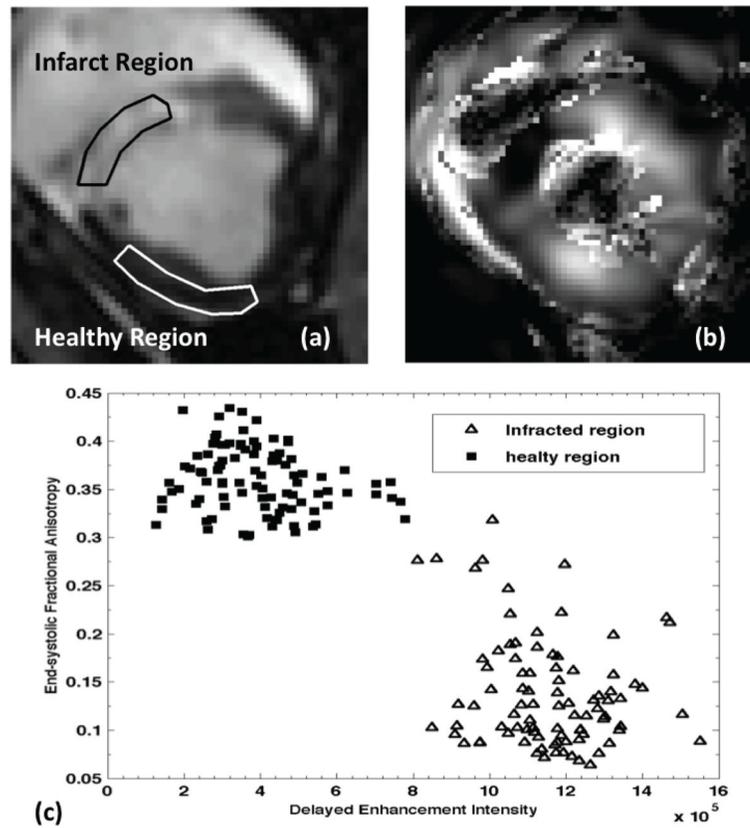


Fig. 3. (a) Delayed enhancement image at mid-diastole marked with infarcted and healthy tissue used for analysis. (b) Fractional anisotropy image at end-systole. (c) Plot of DE image intensity vs. FA taken from end-systole for healthy and infarcted regions shown in (a).

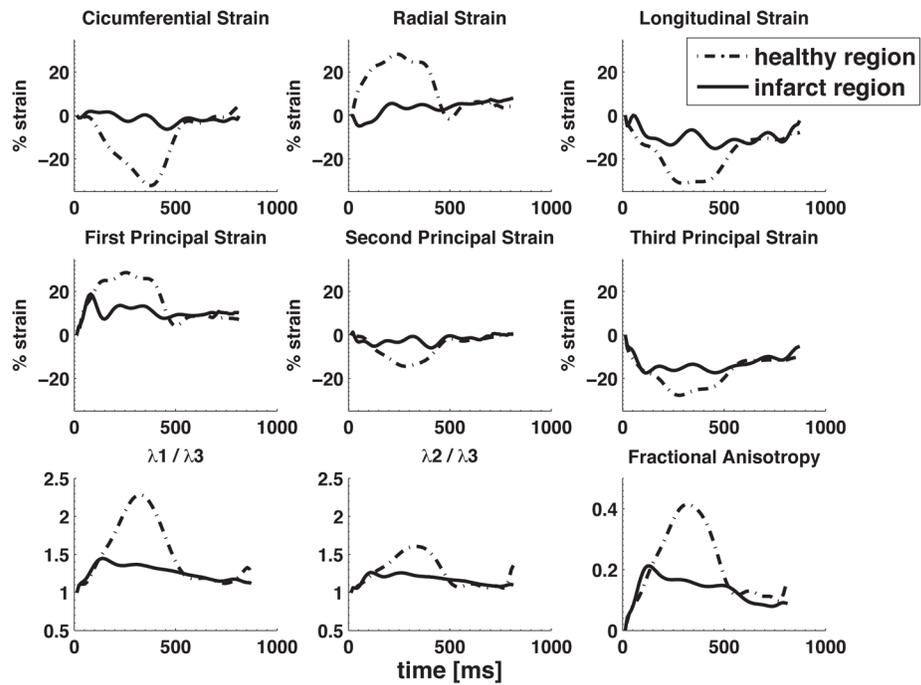


Fig. 4. Average value of strain indices within one cardiac cycle for regions marked in figure 3(a). Separation between two tissue types is evident.

Table 1

Average end-systolic strain values, mean CNR and average % of cardiac cycle for $p < 0.05$ between two tissue types.

	Mean \pm std in infarct region	Mean \pm std in healthy region	Mean CNR	%Cardiac cycle with $p < 0.05$ in two regions
%Circumferential Strain	0.78 \pm 0.02	-21.95 \pm 7.58	3.30	66.66 \pm 3.16
%Radial Strain	6.54 \pm 2.78	20.02 \pm 6.77	1.99	82.11 \pm 8.17
%Longitudinal Strain	-7.12 \pm 3.41	-29.11 \pm 13.02	0.95	87.44 \pm 5.14
%First Principal Strain	17.59 \pm 10.09	39.73 \pm 14.69	1.62	78.13 \pm 8.83
%Second Principal Strain	0.94 \pm 1.42	-7.95 \pm 6.9	1.68	77.63 \pm 11.03
%Third Principal Strain	-12.18 \pm 1.84	-37.64 \pm 4.31	2.73	89.20 \pm 4.22
λ_1/λ_3	1.34 \pm 0.07	2.19 \pm 0.15	1.71	82.44 \pm 9.20
λ_2/λ_3	1.15 \pm 0.02	1.45 \pm 0.14	1.10	86.76 \pm 10.94
Fractional Anisotropy	0.15 \pm 0.01	0.41 \pm 0.07	3.57	86.10 \pm 8.99