It's a bird... it's a plane...

it's... Super Table!

steelwise

ONE-STOP SHOP

BY ABBAS AMINMANSOUR, PhD

WHAT IF THERE WAS a table that could be directly used for designing tension members, compression members, flexural members, members subject to tension and bending and even members subject to compression and bending?

Good news: There is.

The 15th Edition of the AISC Steel Construction Manual (available this summer at www.aisc.org/publications) includes a new table, Table 6-2, that can serve as Swiss Army Knife of sorts for designing with all of these members. Additional information such as available shear strength, moment of inertia and radius of gyration is also included in the table to help designers with other strength and serviceability checks.

Table 6-2 lists all W-sections included in the latest AISC database of shapes and has been developed for steels with $F_y = 50$ ksi. This table will also be incorporated into V15.0 Design Examples, Part IV, for W-sections with $F_y = 65$ and 70 ksi, for HSS of ASTM A500 Grade C and ASTM A1085 material and for pipe of ASTM A53 Grade B material. Appropriate provisions of the 2016 AISC Specification for Structural Steel Buildings (ANSI/AISC 360-16), available at www.aisc.org/specifications, have been addressed in the development of this new table.

Table Format

The main body of Table 6-2 follows a butterfly format with three W-sections per page. Figure 1 shows a sample page from the table with its general appearance. Available compressive strengths are listed on the left half of the page for both ASD and LRFD methods. This area of the table is boxed in red in Figure 1. The right half of the page lists the available flexural strengths of the same sections, also for both ASD and LRFD. This area of the table is boxed in blue in Figure 1.

The distance values listed in the middle of the page represent the effective length, $L_{\rm c}$, with respect to the least radius of gyration, $r_{\rm y}$, when looking up compressive strength of a section on the left half of the page. Similarly, the same distance values listed in the middle of the page serve as the unbraced length, $L_{\rm b}$, when looking up the available flexural strength of a section on the right-hand half of the page.

The bottom portion of Table 6-2, labeled "Properties," lists helpful strengths and properties of the same shapes (boxed in black in Figure 1). Available strengths in tension based on the limit states of yielding and rupture as well as available strengths in shear and bending about the Y-Y axis are also included in the bottom of the table. The Properties portion of the table also includes other values such as L_p , L_r , I_x , I_y , r_y and r_x/r_y .

Table 6-2 (continued)
Available Strength for Members $F_y = 50 \text{ ksi}$ Subject to Axial, Shear, $F_u = 65 \text{ ksi}$ Flexural and Combined Forces
W-Shapes

W12														
W12×							pe			W ⁻	12×			
72 65 58						lb/	lb/ft 72			65 ^f		58		
P_n/Ω_c $\phi_c P_n$ P_n/Ω_c $\phi_c P_n$		$P_n/\Omega_c \phi_c P_n$				M_{nx}/Ω_b	$\phi_b M_{nx}$	M_{nx}/Ω_b	$\phi_b M_{nx}$	M_{nx}/Ω_b	$\phi_b M_{nx}$			
Available Compressive Strength, kips						Desi						ural Strength, kip-ft		
ASD	LRFD	ASD	LRFD	ASD	LRFD			ASD	LRFD	ASD	LRFD	ASD	LRFD	
632	949	572	859	509	765		0	269	405	237	356	216	324	
606	911	549	825	479	720		6	269	405	237	356	216	324	
597	898	540	812	469	705		7	269	405	237	356	216	324	
587	883	531	798	457	687	تي	8	269	405	237	356	216	324	
576	866	521	783	445	668	Ĕ,	9	269	405	237	356	215	323	
564	847	510	766	431	647	jį.	10	269	405	237	356	211	318	
550	827	497	747	416	625	<u> </u>	11	268	404	237	356	207	312	
536	806	484	728	400	601	~~ =	12	265	398	237	356	204	306	
521	783	470	707	384	577	S G	13	261	392	233	350	200	301	
505	759	456	685	367	551	₽ c	14	257	387	230	345	196	295	
489	735	441	663	349	525	ži ag	15	254	381	226	340	192	289	
472	709	426	640	332	499	× st	16	250	376	222	334	189	283	
455	683	410	616	314	472	<u>s</u> ×	17	246	370	219	329	185	278	
437	656	393	591	296	445	e, ie	18	242	364	215	323	181	272	
419	629	377	567	278	418	F T	19	239	359	212	318	177	266	
401	602	360	542	261	392	ë f	20	235	353	208	313	173	261	
364	547	327	492	227	341	, L	22	228	342	201	302	166	249	
328	493	294	442	194	292	Ē₩	24	220	331	194	291	158	238	
292	440	262	394	165	249	₹ £	26	213	320	186	280	151	227	
259	389	231	348	143	214	£ ±	28	205	309	179	269	143	215	
226	340	202	304	124	187	igth, L_c , ft, with respect to least radius of gyunbraced length, L_b , ft, for X-X axis bending	30	198	297	172	259	135	203	
199	299	178	267	109	164	ρ, 1 bra	32	190	286	165	248	125	188	
176	265	157	236	96.7	145	튱틸	34	183	275	158	237	116	174	
157	236	140	211	86.3	130	ᄪ	36	176	264	149	224	108	163	
141	212	126	189	77.4	116	و و	38	167	251	139	209	102	153	
127	191	114	171	69.9	105	≨	40	157	236	130	196	95.7	144	
115	173	103	155			Effective length, L_b , ft, with respect to least radius of gyration, r_p , or unbraced length, L_b , ft, for X-X axis bending	42	148	223	123	185	90.5	136	
105	158	93.9	141			Ξ	44	140	211	116	175	85.8	129	
96.2	145	85.9	129				46	133	200	110	166	81.6	123	
88.3	133	78.9	119				48	127	191	105	158	77.8	117	
81.4	122	72.7	109				50	121	182	100	150	74.3	112	
						Proper	ties							

	Properties													
Available Strength in Tensile Yielding, kips							Limiting Unbraced Lengths, ft							
P_n/Ω_t	$\phi_t P_n$	P_n/Ω_t	$\phi_t P_n$	P_n/Ω_t	$\phi_t P_n$		Lp	Lr	Lp	Lr	Lp	Lr		
632	950	572	860	509	765		10.7	37.5	11.9	35.1	8.87	29.8		
Available Strength in Tensile Rupture ($A_e = 0.75A_g$), kips								Area, in. ²						
P_n/Ω_t	$\phi_t P_n$	P_n/Ω_t	$\Phi_t P_n$	P_n/Ω_t	$\phi_t P_n$		21	.1	19).1	17	.0		
514	770	465	697	416	624		Moment of Inertia, in.4							
Available Strength in Shear, kips							I _x	ly	I _x	ly	I _x	ly		
V_n/Ω_v	$\phi_{\nu}V_{n}$	V_n/Ω_v	$\phi_{\nu}V_{n}$	V_n/Ω_v	$\phi_{\nu} V_n$		597	195	533	174	475	107		
106	06 159 94.4 142 87.8 132 r _y , in.													
Available Strength in Flexure about Y-Y Axis, kip-ft							3.	3.04 3.02 2.5			51			
M_{ny}/Ω_b	$\phi_b M_{ny}$	M_{ny}/Ω_b	$\phi_b M_{ny}$	M_{ny}/Ω_b	$\phi_b M_{ny}$				r _x .	/r _y				
123	185	107	161	81.1	122		1.	75	1.1	75	2.	10		
	Shape exceeds compact limit for flexure with $F_y = 50$ ksi. Note: Heavy line indicates $L_x r_y$ and to or greater than 200													

▲ Figure 1: A sample page from Table 6-2.

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 Figure 2: Compression strength portion of a sample page from Table 6-2.

Design of Compression Members

The available strength in compression of all W-sections is included directly in the new table. To design a member of a known nominal depth, simply go to the table with $(L_c)_y$, the effective length with respect to the least radius of gyration, and select a shape that has the desired available strength in compression listed on the left half of the page.

If X-direction flexural buckling controls, enter the table with the equivalent effective length using Equation 1 below just as you would when using Table 4-1 of the AISC *Manual*.

$$(L_c)_{eq} = \frac{(L_c)_x}{(r_x/r_y)}$$
 (Equation 1)

The available compressive strengths listed in Table 6-2 follow pertinent provisions of Chapter E of the *Specification* and account for the width-to-thickness ratio requirements of Section B4 of the *Specification*. Therefore, no further checks of the element width-to-thickness ratios or slenderness ratio are required. Remember that all W-sections are listed in Table 6-2, including shapes that may not be ordinarily used as columns but could be appropriate for certain situations nevertheless.

Figure 2 serves as a close-up of the red-boxed portion of Figure 1. Based on this figure, an A992 steel W12×72 with a critical effective length of 14 ft, with respect to the least radius of gyration, $(L_c)_y$, has an available strength in compression of 505 kips and 759 kips based on the ASD and LRFD methods, respectively. At the same time, the same shape with an effective length with respect to the X-axis, $(L_c)_x$, of 28 ft has an equivalent effective length as follows, using Equation 1 above.

$$(L_c)_{eq} = \frac{28 \text{ ft}}{(1.75)} = 16 \text{ ft}$$

To determine the strength of the column with $(L_c)_x = 28$ ft, enter Table 6-2 with an effective length of $(L_c)_{eq} = 16$ ft and read off the available strength. This column has an available strength in compression of 472 kips and 709 kips for $(L_c)_x = 28$ ft based on the ASD and LRFD methods, respectively. Note that values of the r_x/r_y are conveniently listed at the bottom under the Properties portion of the same page (see Figures 1 and 5).

As another illustration, per Figure 3, an ASTM A992 W16×31 column with an effective length with respect to the least radius of gyration, $(L_c)_y = 10$ ft has an available strength in compression of 127 kips and 190 kips based on the ASD and LRFD methods, respectively.

Note that a W16×31 is a slender-element column section in A992 steel. Therefore, in this case the provisions of Section E7 of the *Specification* ("Members with Slender Elements") have been used in determining the strength of the column. Keep in mind that the 2016 *Specification* has new provisions applying to columns with slender-element sections.

ре	Sha			2 ×	W1		
ít	lb/	8	5	5	6	72	7
		φ _c P _n	P_n/Ω_c	P_n/Ω_c $\phi_c P_n$ P_n/Ω_c		$P_n/\Omega_c \phi_c P_n$	
gn	Desi	ips	ength, k	sive Str	ompres	ailable C	Ava
		LRFD	ASD	LRFD	ASD	LRFD	ASD
0		765	509	859	572	949	632
6		720	479	825	549	911	606
7		705	469	812	540	898	597
8	يخ	687	457	798	531	883	587
9	'n.	668	445	783	521	866	576
10	tio	647	431	766	510	847	564
11	yra g	625	416	747	497	827	550
12	j g	601	400	728	484	806	536
13	0	577	384	707	470	783	521
14	ns pe	551	367	685	456	759	505
15	t radius of gyr axis bending	525	349	663	441	735	489
16	str Xa	499	332	640	426	709	472
17	ea X	472	314	616	410	683	455
18	0	445	296	591	393	656	437
19	tt , fe	418	278	567	377	629	419
20	эес ,, ff	392	261	542	360	602	401
22	.esl	341	227	492	327	547	364
24	로 된	292	194	442	294	493	328
26	ži (ži	249	165	394	262	440	292
28	t, †	214	143	348	231	389	259
30	ر, أ دود	187	124	304	202	340	226
32	igth, L_c , ft, with respect to least unbraced length, L_b , ft, for X-X	164	109	267	178	299	199
34	at at	145	96.7	236	157	265	176
36	leni or u	130	86.3	211	140	236	157
38	- O	116	77.4	189	126	212	141
40	tiv	105	69.9	171	114	191	127
42	Effective length, L_c , ft, with respect to least radius of gyration, r_p or unbraced length, L_b , ft, for X-X axis bending			155	103	173	115
44	ű			141	93.9	158	105
46				129	85.9	145	96.2
48				119	78.9	133	88.3
50				109	72.7	122	81.4

pe	Sha			6 ×	W1				
ft	lb/	C	31	6c	30	Oc	4		
		$\phi_c P_n$	P_n/Ω_c	$\phi_c P_n$	P_n/Ω_c	$P_n/\Omega_c \phi_c P_n$			
gn	Desi	ips	ength, k	sive Str	ompres	Available Co			
		LRFD	ASD	LRFD	ASD	LRFD	ASD		
0		369	245	440	293	497	331		
6		291	194	382	254	435	289		
7	_	268	178	363	241	414	276		
8		243	161	342	228	392	261		
9 10	Ę.	217	144	320	213	368	245		
	a;	190	127	297	198	342	228		
11	95 E	162	108	274	182	317	211		
12 13	ᅙ	136 116	90.6 77.2	247	165 147	287 258	191 172		
14	us pel	100	66.6	221 195	130	230	153		
15	t radius of gyı axis bending	87.1	58.0	171	114	203	135		
16	a it	76.6	51.0	150	99.9	178	119		
17	÷ as	67.8	45.1	133	88.5	158	105		
18	<u> </u>	60.5	40.3	119	78.9	141	93.7		
19	t, f	54.3	36.1	106	70.8	126	84.1		
20	pec b, €			96.1	63.9	114	75.9		
22	res 1, L			79.4	52.8	94.3	62.7		
24	声			66.7	44.4	79.2	52.7		
26	e Ki					67.5	44.9		
28 30	#` ₽								
	L _c ,								
32	igth, L_c , ft, with respect to least unbraced length, L_b , ft, for X-X								
34 36	g .								
38	ᅙ								
40	ţį								
42	Effective length, L_c , ft, with respect to least radius of gyration, r_y or unbraced length, L_b , ft, for X-X axis bending								
44	砬								

Figure 3: Compression strength portion of a sample page from Table 6-2, with slender-element sections.

Sha	Shape		W21×									
lb/ft		50		48	Bf	44						
Design		M_{nx}/Ω_b	$\phi_b M_{nx}$	M_{nx}/Ω_b	$\phi_b M_{nx}$	M_{nx}/Ω_b	$\phi_b M_{nx}$					
		Available Flexural Strength, kip-ft										
			LRFD	ASD	LRFD	ASD	LRFD					
	0	274	413	265	398	238	358					
	6	257	387	265	398	221	332					
>	7	245	368	256	385	210	315					
Ž,	8	233	350	246	370	198	298					
Ē	9	221	332	236	355	187	281					
ațic	10	209	314	226	340	176	264					
9 YE	11	197	295	217	326	165	248					
훈	12	184	277	207	311	154	231					
0 E	13	172	259	197	296	142	214					
ية ق	14	157	236	187	282	125	188					
t radius of gyl axis bending	15	140	210	178	267	111	167					
st: Xa	16	126	189	168	252	99.9	150					
<u>-</u>	17	114	172	155	233	90.4	136					
<u> </u>	18	105	157	140	210	82.4	124					
<u>;</u> ;	19	96.2	145	128	192	75.6	114					
pe.	20	89.0	134	117	176	69.8	105					
res 1, <i>L</i> ,	22	77.3	116	99.8	150	60.3	90.7					
゠゠	24	68.2	103	86.7	130	53.0	79.7					
₩ ₩	26	61.0	91.7	76.3	115	47.3	71.0					
£ =	28	55.2	82.9	68.1	102	42.6	64.0					
length, L_c , ft, with respect to least or unbraced length, L_b , ft, for X-X	30	50.4	75.7	61.3	92.2	38.8	58.3					
h, 1 bra	32	46.3	69.6	55.8	83.8	35.6	53.4					
	34	42.9	64.5	51.1	76.8	32.8	49.4					
틸	36	39.9	60.0	47.1	70.8	30.5	45.9					
<u> </u>	38	37.4	56.2	43.7	65.7	28.5	42.8					
疲	40	35.1	52.8	40.7	61.2	26.7	40.2					
Effective length, L_c , ft, with respect to least radius of gyration, r_p , or unbraced length, L_b , ft, for X-X axis bending	42	33.1	49.8	38.2	57.4	25.2	37.9					
Ü	44	31.4	47.2	35.9	53.9	23.8	35.8					

Design of Flexural Members

Figure 4 illustrates a magnified portion of a sample page from Table 6-2 with available flexural strengths listed on the right-hand side of the page.

Again, all W-sections are listed in the table, including those that may not be ordinarily used as beams but may be appropriate for certain situations.

Values of the available flexural strength listed in Table 6-2 meet the appropriate provisions of Chapter F of the *Specification* and account for compact/noncompact/slender-element section provisions of Section B4. Therefore, there is no need for width-to-thickness ratio checks of the selected W-section. Further, appropriate AISC equations have been used in developing the tabulated values with respect to the unbraced length of the beam relative to limiting unbraced lengths $L_{\it p}$ and $L_{\it r}$. Thus, no additional check of the unbraced length is needed when using this table.

The procedures for design of a flexural member using Table 6-2 is similar to design for compression members described above. The designer enters the table with the unbraced length L_b of the beam and selects a W-section from the desired nominal depth with available flexural strength equal to or greater than the required strength. Note that flexural strengths are listed on the right half of the butterfly formatted page. The left and right halves of the table are clearly labeled at the top to avoid confusion.









As an example, per Figure 4, an A992 W21×48 with an unbraced length of 10 ft has an available flexural strength of 226 kip-ft and 340 kip-ft based on the ASD and LRFD methods, respectively. Remember that a W21×48 of ASTM A992 is a noncompact beam section. However, Table 6-2 already accounts for this classification and there is no need to check the width-to-thickness ratio of the compression elements of this beam section. Also, there is no need to compare the unbraced length to L_p and L_r , though values of L_p and L_r are listed at the bottom of the page for convenience.

Available flexural strength of W-shapes bent about their minor axis is also included in the Properties portion of the super table in the bottom, as shown in Figure 5. Given that lateral torsional buckling does not apply to bending of W-sections about their minor axis, these values are independent of any length and are a single value for each shape. Again, the width-to-thickness ratio provisions of the *Specification* have been followed in developing the available flexural strength of W-sections bent about their minor axis. Therefore, no further check of the compression element width-to-thickness ratios is required.

Tension Members and Shear Strength

The bottom portion of Table 6-2 includes available strengths in tension of all W-sections. Both yielding and rupture limit states are addressed in generating the listed values (Figure 5). However, it should be noted that the values listed based on the rupture limit state assume an effective area of $A_e = 0.75 A_g$ just as is the case when using Table 5-1 of the *Manual*. Therefore, the designer should check the available tensile strength of the

member based on the calculated A_{ϵ} for the rupture limit state. The table does not address other limit states that may control design of tension members, such as block shear strength.

As illustrated in Figure 5, the bottom portion of Table 6-2 also includes the available shear strength of all W-sections for Grade-50 steel based on the ASD and LRFD methods. Provisions of Chapter G of the *Specification* have been used for calculation of the tabulated values.

Design of Members Subject to Combined Forces

The new table provides direct strengths for members subject to combined forces, namely tension and bending or compression and bending. Recall Table 6-1 of previous versions of the *Manual*, which provided coefficients for design of members subject to combined forces. That table is available in V15.0 *Design Examples*, Part IV, available at www.aisc.org.

To check compliance of a member subject to combined forces with the appropriate equation of Chapter H of the *Specification*, refer to Table 6-2 as described previously to look up the appropriate available axial and flexural strengths for use in Equation H1-1a or H1-1b.

Using the table for designing members subject to combined forces not only readily provides available flexural and axial (tension or compression) strength of any W-section, but also saves you from having to check width-to-thickness ratios and unbraced length ranges when considering beam or column action of the member.

As an example of using Table 6-2 for checking a member subject to combined forces, consider an ASTM A992 W12×72 beam-column as follows.

Figure 5: Bottom portion of a sample page from Table 6-2.

Table 6-2 (continued) **Available Strength for Members** Subject to Axial, Shear, $\vec{F_u}$ = 65 ksi Flexural and Combined Forces W-Shapes W10 W10× Shape W10× 33 lb/ft $P_n/\Omega_c \mid \phi_c P_n \mid P_n/\Omega_c \mid \phi_c P_n \mid P_n/\Omega_c \mid$ $M_{nx}/\Omega_b | \phi_b M_{nx} | M_{nx}/\Omega_b | \phi_b M_{nx} | M_{nx}/\Omega_b | \phi_b M_{nx}$ Design Available Compressive Strength, kips Available Flexural Strength, kip-ft LRFD ASD LRFD ASD LRFD LRFD ASD LRFD ASD **Properties** Available Strength in Tensile Yielding, kips Limiting Unbraced Lengths, ft $\phi_t P_n$ P_n/Ω_t $\phi_t P_n$ P_n/Ω_t L_r $\Phi_t P_n$ Lp 6.85 21.8 4.84 16.1 4.80 14.9 398 Available Strength in Tensile Rupture $(A_{\theta} = 0.75A_g)$, kips Area, in.2 P_n/Ω_t $\phi_t P_n$ P_n/Ω_t $\phi_t P_n$ P_n/Ω_t $\phi_t P_n$ 9.71 8.84 7.61 215 323 186 Moment of Inertia, in.4 278 Available Strength in Shear, kips V_n/Ω_v $\phi_{\nu} V_{n} | V_{n}/\Omega_{\nu} | \phi_{\nu} V_{n}$ V_n/Ω_v $\phi_{\nu}V_{n}$ 171 36.6 170 16.7 144 14.1 63.0 *ry*, in. 84 7 94 5 53.6 80.3 Available Strength in Flexure about Y-Y Axis, kip-ft 1.94 1.37 1.36 $\phi_b M_{ny}$ M_{nv}/Ω_b $\Phi_b M_{nv} M_{nv}/\Omega_b \Phi_b M_{nv} M_{nv}/\Omega_b$ r_x/r_y 22.1 2 16 3.20 3 20 34.9 33.2

ASD Method:

$$P_a = 100$$
 kips (compression), $(L_c)_y = L_b = 15$ ft, $(M_a)_x = 150$ kip-ft, $(M_a)_y = 30$ kip-ft

Obtain the following from Table 6-2:
For
$$(L_c)_y = 15$$
 ft, $P_n/\Omega_c = 489$ kips
For $L_b = 15$ ft, $M_{nx}/\Omega_c = 254$ kip-ft
 $M_{ny}/\Omega_c = 123$ kip-ft

Because
$$\frac{P_r}{P_c} = \frac{100 \text{ kips}}{489 \text{ kips}} = 0.204 > 0.20,$$

use AISC Equation H1-1a as follows:

$$\begin{split} &\frac{P_a}{P_n/\Omega_c} + \frac{8}{9} \left(\frac{M_{ax}}{M_{nx}/\Omega_c} + \frac{M_{ay}}{M_{ny}/\Omega_c} \right) \\ &= \frac{100 \text{ kips}}{489 \text{ kips}} + \left(\frac{8}{9} \right) \left(\frac{150 \text{ kip-ft}}{254 \text{ kip-ft}} + \frac{30 \text{ kip-ft}}{123 \text{ kip-ft}} \right) \\ &= 0.204 + 0.525 + 0.217 = 0.946 < 1.0 \end{split}$$

A992 W12×72 satisfies the provisions of Chapter H of the *Specification*.

LRFD Method:

$$P_u$$
 = 170 kips (compression), $(L_c)_y$ = L_b = 15 ft, $(M_u)_x$ = 210 kip-ft, $(M_u)_y$ = 40 kip-ft

Obtain the following from Table 6-2 as described above: For $(L_c)_y = 15$ ft, $\phi_c P_n = 735$ kips For $L_b = 15$ ft, $\phi_b M_{nx} = 381$ kip-ft $\phi_b M_{ny} = 185$ kip-ft

Because
$$\frac{P_u}{\Phi_s P_n} = \frac{170 \text{ kips}}{735 \text{ kips}} = 0.231 > 0.20,$$

use AISC Equation H1-1a as follows:

$$\begin{split} &\frac{P_u}{\phi_c P_n} + \frac{8}{9} \left(\frac{M_{ux}}{\phi_b M_{nx}} + \frac{M_{uy}}{\phi_b M_{ny}} \right) \\ &= \frac{170 \text{ kips}}{735 \text{ kips}} + \left(\frac{8}{9} \right) \left(\frac{210 \text{ kip-ft}}{381 \text{ kip-ft}} + \frac{40 \text{ kip-ft}}{185 \text{ kip-ft}} \right) \\ &= 0.231 + 0.490 + 0.192 = 0.913 < 1.0 \end{split}$$

A992 W12×72 satisfies the provisions of Chapter H of the *Specification*.

Additional Information

The Properties portion of Table 6-2 in the bottom of the table (Figure 5) includes such values as L_p and L_r . As noted earlier, the available flexural strength of W-sections listed have been calculated based on the unbraced lengths provided in the middle of the table, and there is no need for further checks. The values of L_p and L_r are listed for informational purposes only.

In addition, the moments of inertia of sections about both axes are listed in the bottom portion of Table 6-2 to facilitate checking serviceability requirements. Further, values of r_x/r_y are included in the table for use when needed, such as the case of using Equation 1 discussed earlier.

There are a number of design tables in the *Manual* that provide various strengths for members subject to different forces, such as Table 3-2: W-Shapes Selection by Z_x , Table 4-1: Available Strength in Axial Compression, Table 5-1: Available Strength in Axial Tension and Table 6-1: Combined Flexure and Axial Forces, all of which existed in previous editions of the *Manual*. All those tables are still included in the 15th Edition, with the exception of Table 6-1, which has moved to the AISC *Design Examples*, Part IV. And Table 6-2 brings together all of this information into one location for more convenience.